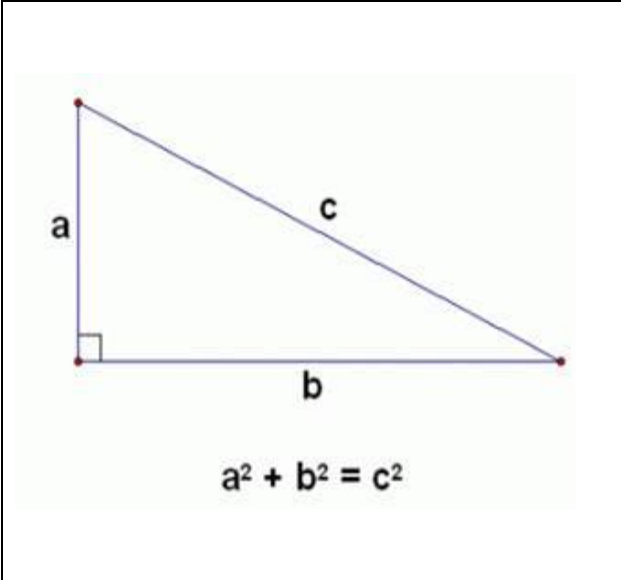
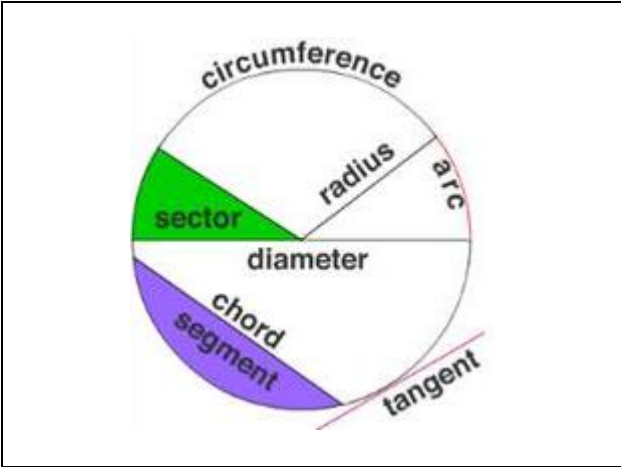


Key Vocabulary	
Pythagoras' Theorem	Formula for finding the length of a missing side in a right angles triangle. $a^2 + b^2 = c^2$
Hypotenuse	Longest side of a right angled triangle
Right Angled triangle	A triangle where one of the angles in 90°
Arc	Part of the circumference of a circle
Sector	Section of a circle, bounded by two radii and an arc
Segment	Section of a circle bounded by a chord and an arc
Radius	From the centre to the circumference of a circle
Diameter	Measurement across the middle of a circle
Chord	Measurement from on point on circumference of a circle to another- not going through the centre
Tangent	Straight line touching the circumference of a circle once

Key facts / Diagrams

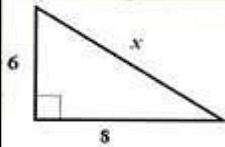


$a^2 + b^2 = c^2$



- Common misconceptions**
- Some pupils will work out $(\pi \times r)^2$ when finding the area of a circle
 - Some pupils may use the sloping height when finding cross-sectional areas that are parallelograms, triangles or trapezia
 - Some pupils may confuse the concepts of surface area and volume
 - Some pupils may use Pythagoras' theorem as though the missing side is always the hypotenuse
 - Some pupils may not include the lengths of the radii when calculating the perimeter of an arc

Worked examples



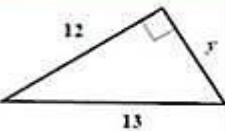
$$6^2 + 8^2 = x^2$$

$$36 + 64 = x^2$$

$$100 = x^2$$

$$\sqrt{100} = \sqrt{x^2}$$

$x = 10$



$$12^2 + y^2 = 13^2$$

$$144 + y^2 = 169$$

$$y^2 = 25$$

$$\sqrt{y^2} = \sqrt{25}$$

$y = 5$

Area of a sector

$$\text{Sector} = \frac{\alpha}{360} \pi r^2$$

$$= \frac{65}{360} \pi 3^2$$

$$= 1.625\pi = 5.11 \text{ cm}^2$$
